



FACULTY OF APPLIED SCIENCES
UNIVERSITY
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Learning Mesh Geometry Prediction

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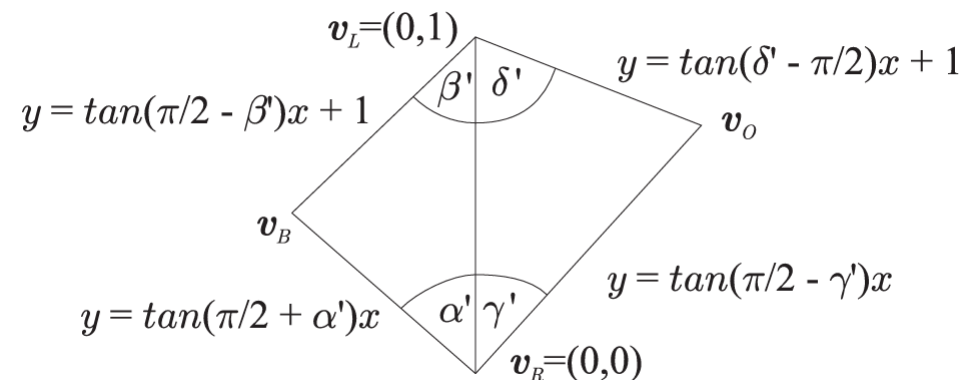
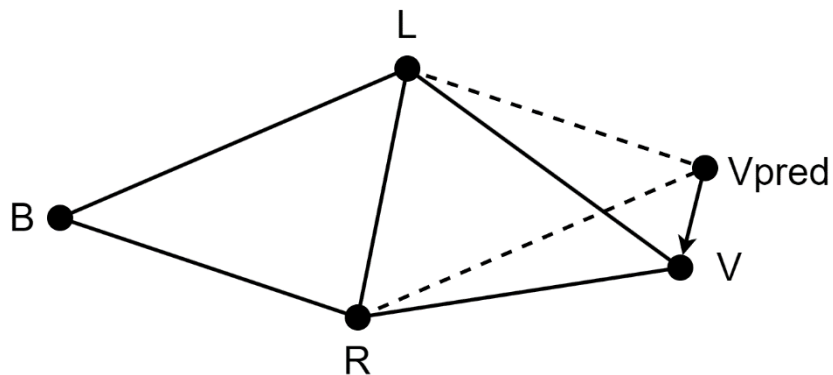
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Compression of triangle meshes

- ▶ A frequently solved problem - lots of existing methods
 - ▶ Single-rate vs. Progressive
 - ▶ Geometry – lossy compression
 - ▶ Connectivity – lossless compression (otherwise simplification)
 - ▶ We compress geometry (and use Edgebreaker [Ross99] for the connectivity)
- ▶ Different approaches
 - ▶ Traversal based methods (Parallelogram [TG98], Weighted Parallelogram [VB13], Angle-Analyzer [LAD02])
 - ▶ Laplacian based (High-Pass Quantization [SCT03], Error Propagation Control [VD18])
 - ▶ ...

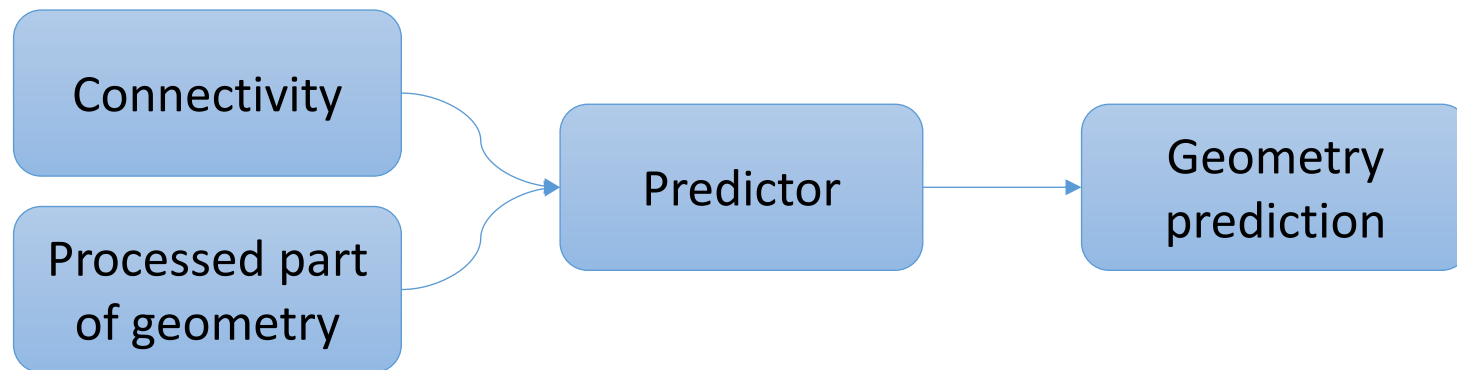
Geometry prediction schemes

- ▶ We predict the vertex position based on
 - ▶ Previous vertices
 - ▶ Connectivity (is encoded first)
- ▶ Difference between prediction and actual position is encoded
- ▶ Parallelogram
- ▶ Weighted Parallelogram



Neural predictor

- ▶ General prediction scheme
 - ▶ Input: Connectivity + Already encoded/decoded part of geometry
 - ▶ Output: Next vertex prediction

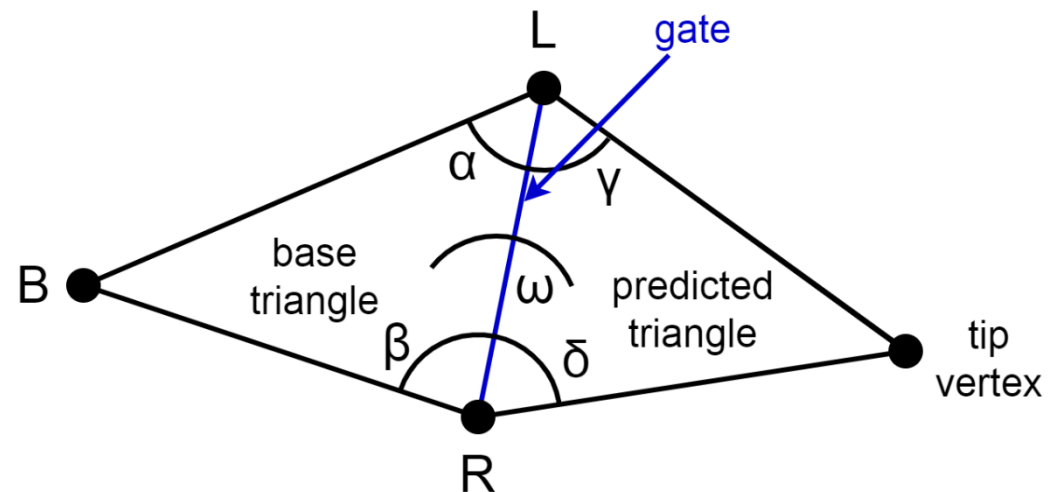


Neural predictor

- ▶ Neural predictor
 - ▶ Multilayer perceptron
 - ▶ Input:
 - ▶ Geometry of base triangle
 - ▶ Vertex valences
 - ▶ Estimates of inner angles (just like Weighted Parallelogram)
 - ▶ Output:
 - ▶ Geometry of encoded triangle

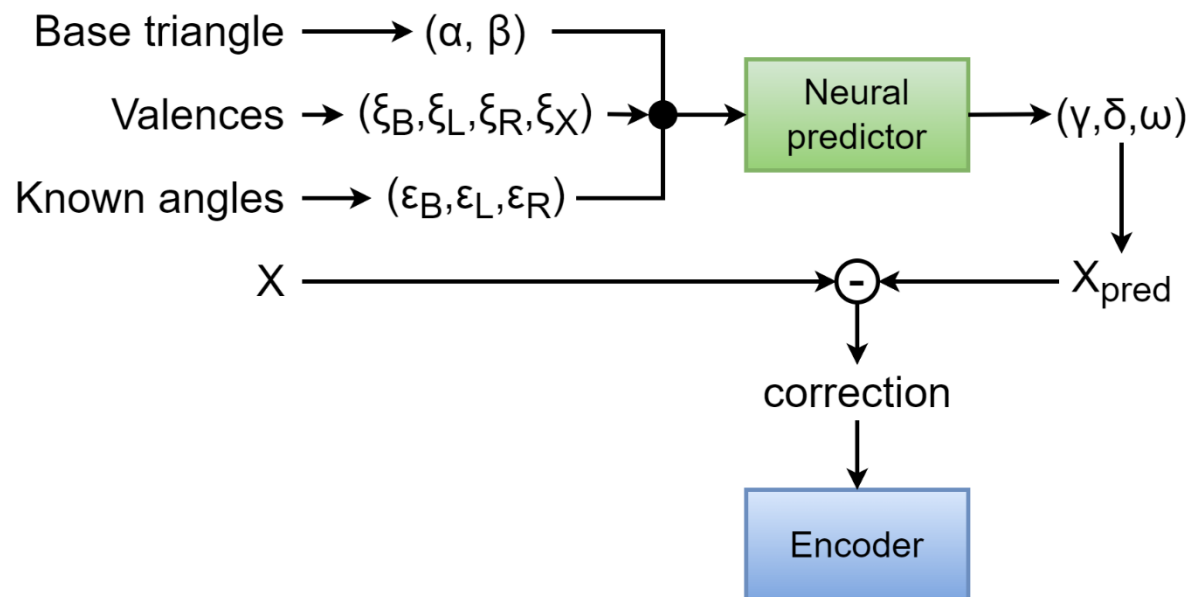
Neural predictor – Data normalization

- ▶ Meshes can be of various sizes
 - ▶ How to normalize feature space
- ▶ Invariance to rigid transformations + uniform scaling
 - ▶ Translation, rotation, uniform scale should not change the shape of the predicted triangle.
- ▶ Angles
 - ▶ Inner angles – α , β , γ , δ
 - ▶ Dihedral angle - ω



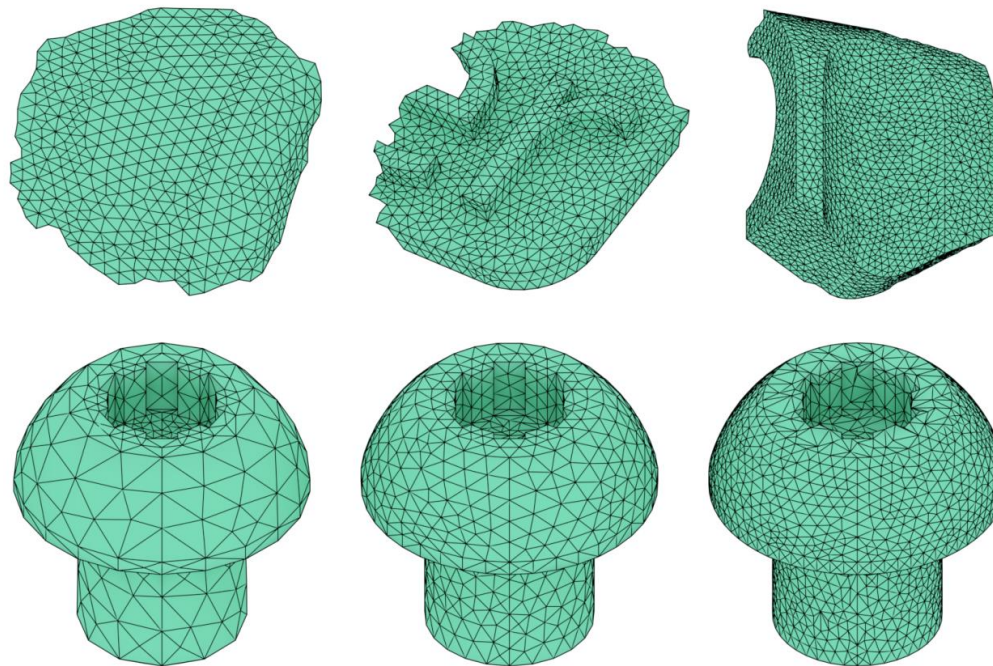
Neural predictor – Data normalization

- ▶ More angles
 - ▶ Inner angles
 - ▶ Dihedral angle
 - ▶ 2π / valence
 - ▶ Angle estimates
 - ▶ Angle between normals of neighboring triangles



Neural predictor – Training

- ▶ We sampled ABC dataset [KMJ19]
 - ▶ Various shapes and tessellations
- ▶ Traversal simulation (different parts of mesh were processed)
 - ▶ Different accuracy of estimates of inner angles



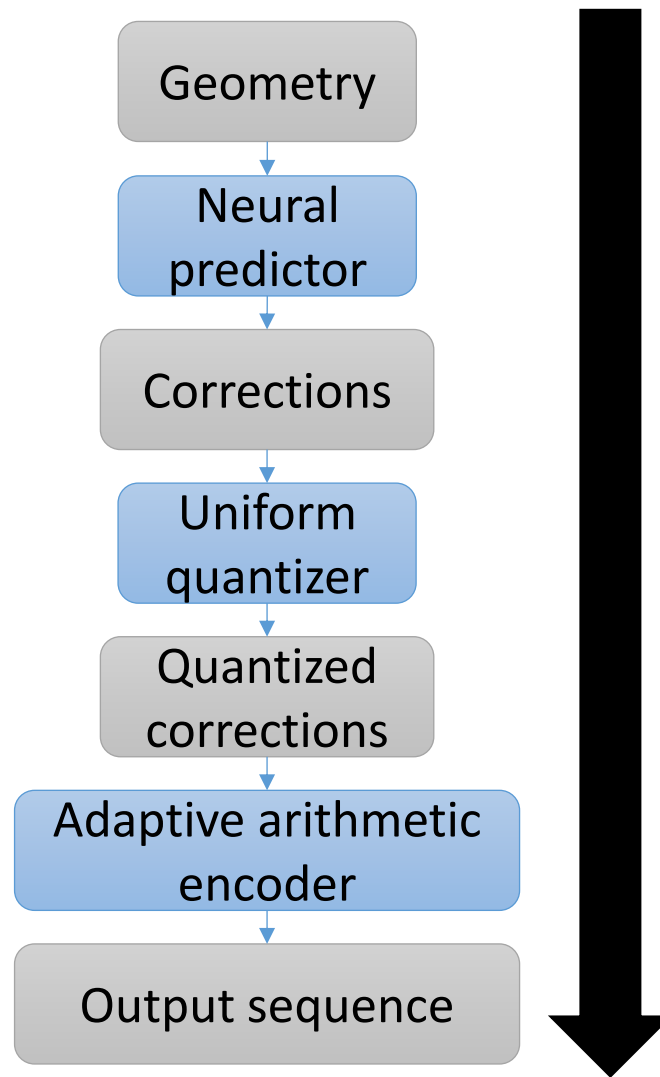
Neural predictor – Training

- ▶ L1 loss (inner angles + dihedral angle)
- ▶ Different loss for validation (distance between predicted and actual position)

$$\mathcal{L} = \frac{1}{n} \sum_{i=1}^n (|\gamma_{\text{pred}} - \gamma| + |\delta_{\text{pred}} - \delta| + |\omega_{\text{pred}} - \omega|)$$

$$\mathcal{L}_{\text{val}} = \frac{1}{n} \sum_{i=1}^n \|\mathbf{X}_{\text{pred}}(\gamma_{\text{pred}}, \delta_{\text{pred}}, \omega_{\text{pred}}) - \mathbf{X}\|_1$$

Neural predictor - Pipeline



Neural predictor – uncertainty estimation

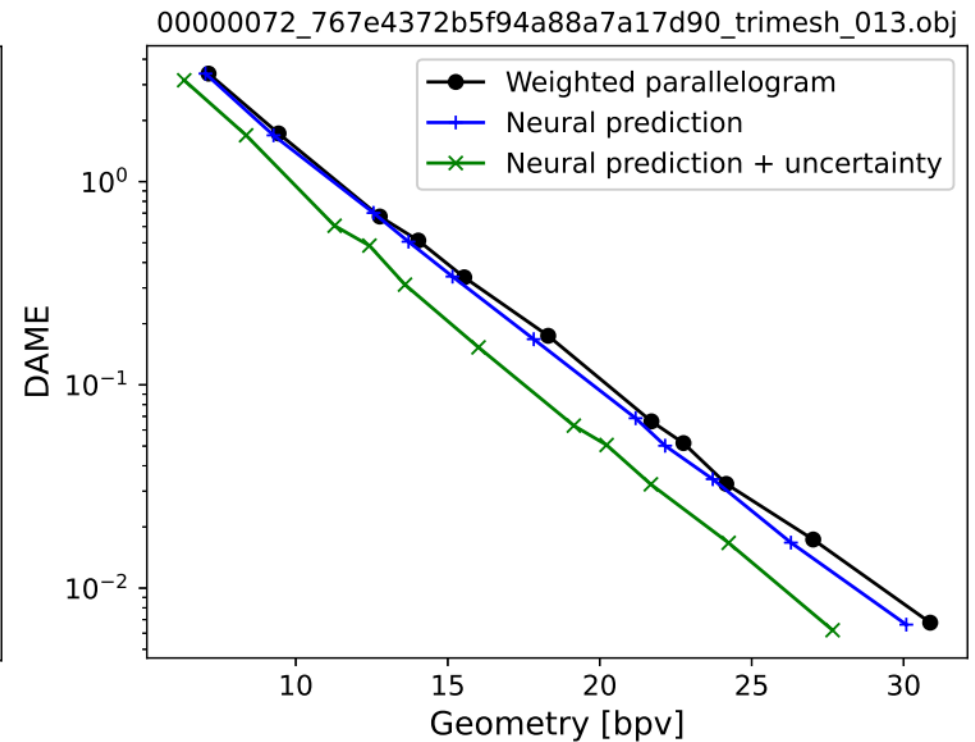
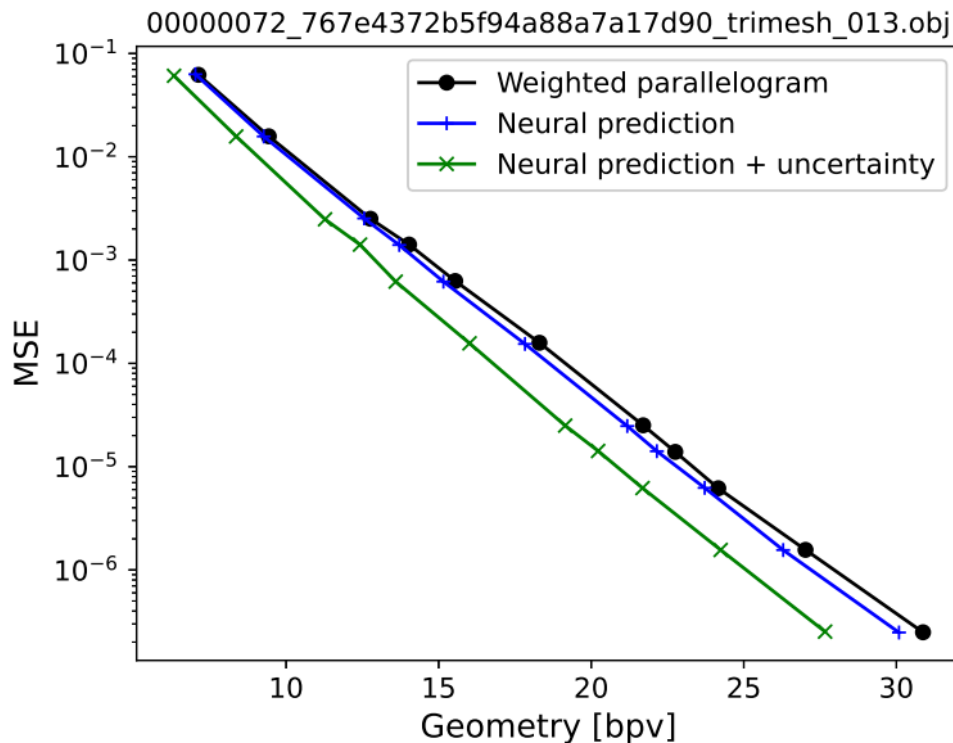
- ▶ Maybe we could estimate prediction error
- ▶ Corrections with different uncertainty are encoded within different context of arithmetic coder
- ▶ Another neural network
- ▶ Relative error (with respect to the area of base triangle)
- ▶ Concordance Correlation Loss

$$e = \frac{\|\mathbf{X} - \mathbf{X}_{\text{pred}}\|}{\frac{1}{2}\|(\mathbf{L} - \mathbf{B}) \times (\mathbf{R} - \mathbf{B})\|}$$

$$\mathcal{L}_{\text{unc}} = 1 - \frac{2\rho_{eu}\sigma_e\sigma_u}{\sigma_e^2 + \sigma_u^2 + (\mu_e - \mu_u)^2}$$

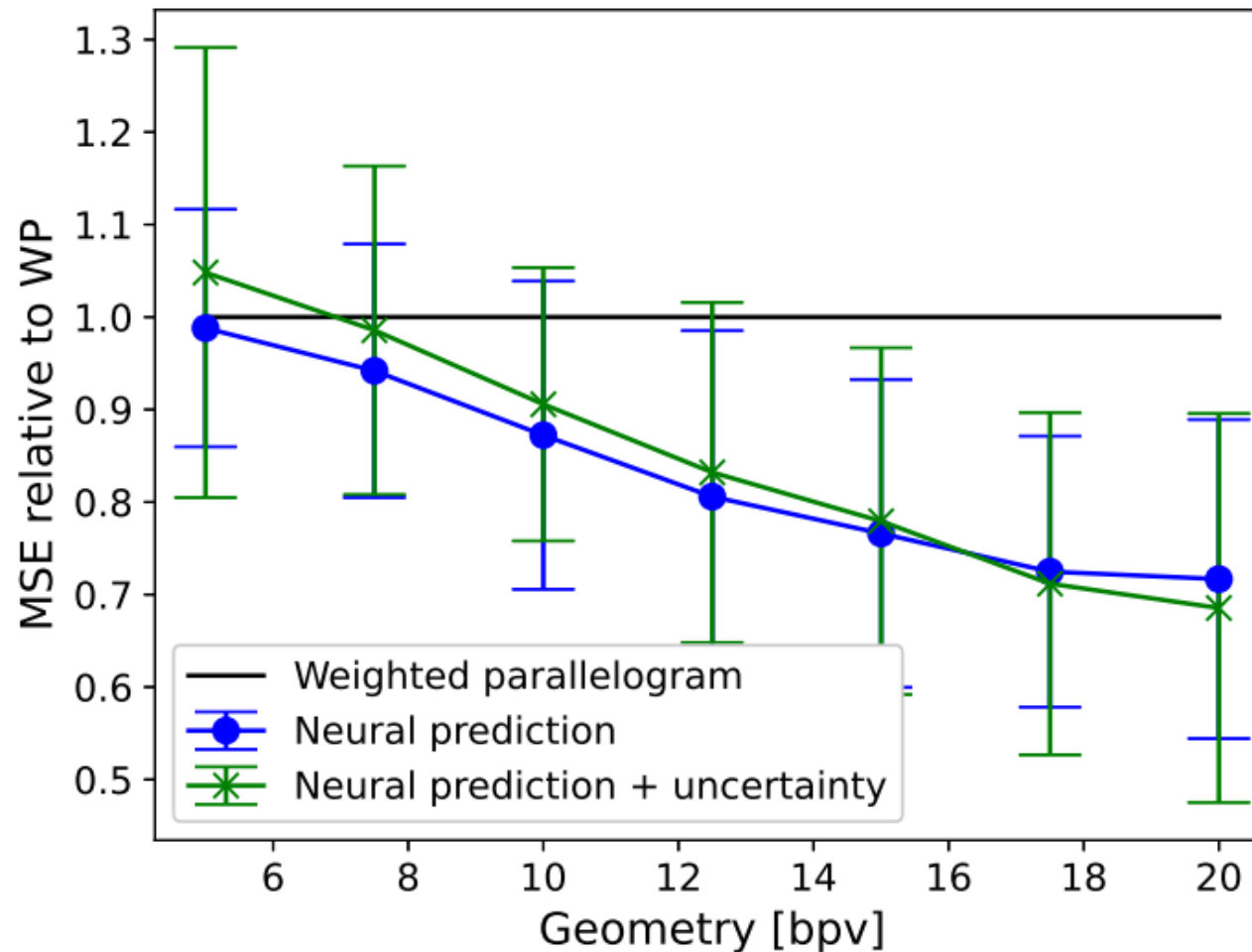
Results

- ▶ Comparison with the Weighted Parallelogram (state of the art)
- ▶ Rate-Distortion ratio
 - ▶ Mechanistic metric - Mean Squared Error (MSE)
 - ▶ Perceptual metric - Dihedral Angle Mesh Error (DAME) [VR12]



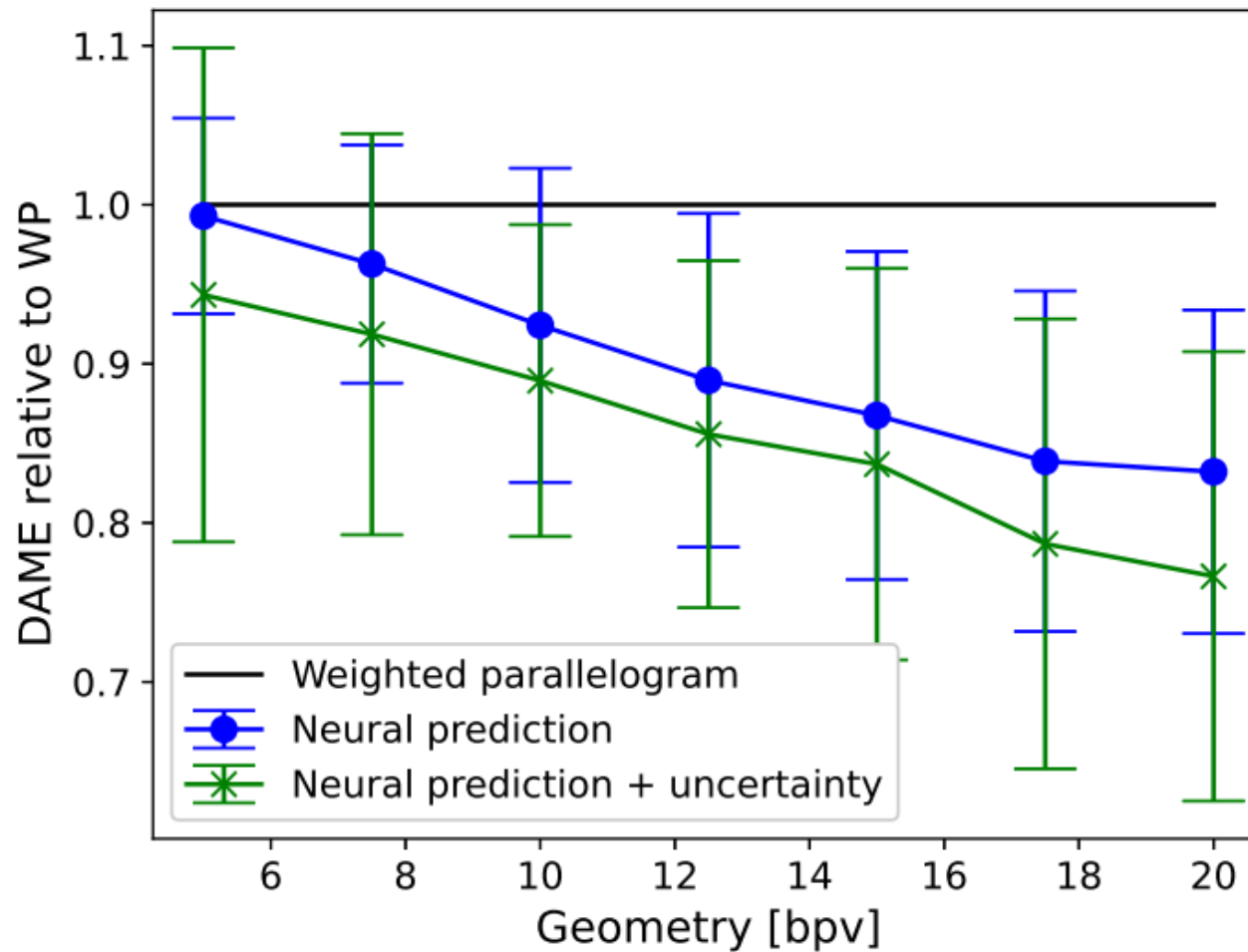
Results (MSE)

► Relative improvement wrt. WP



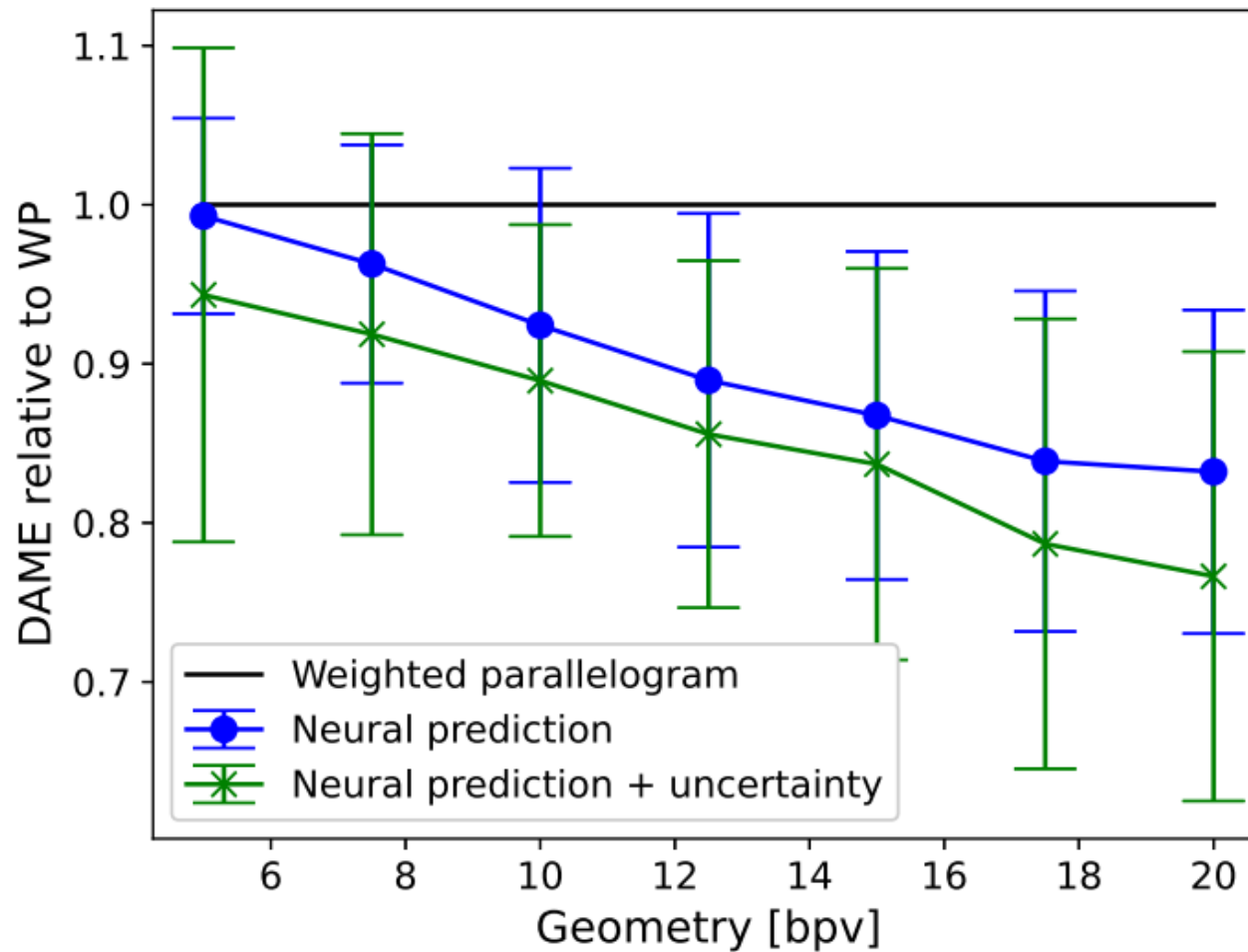
Results (DAME)

► Relative improvement wrt. WP



Results (DAME)

► Relative improvement wrt. WP



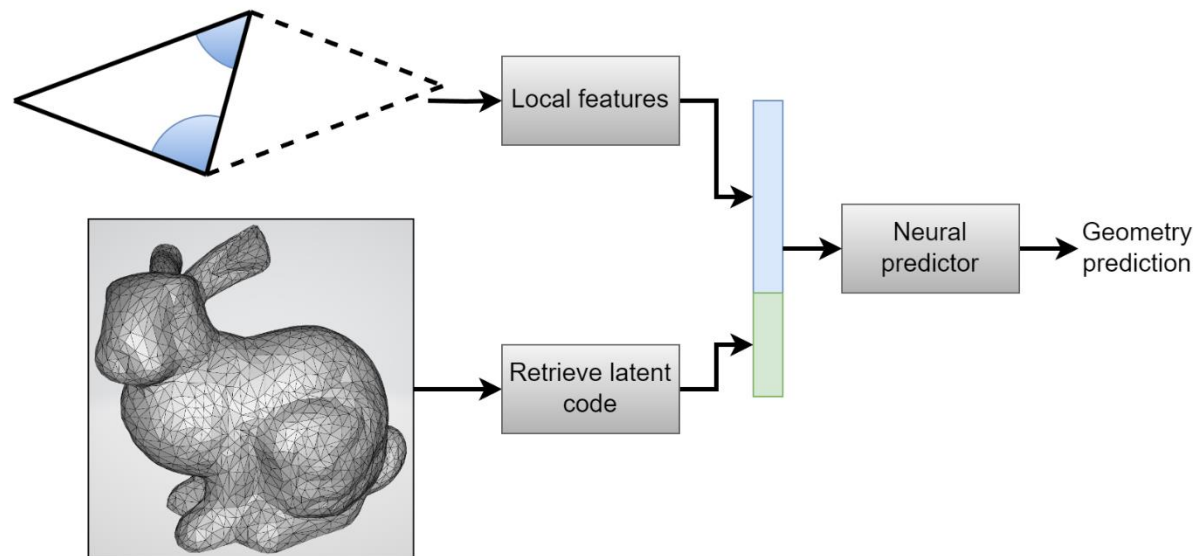
Reference

- ▶ Published at ICCS2024
- ▶ Hácha F., Váša L.: Learning Mesh Geometry Prediction, Learning Mesh Geometry Prediction. In: Franco, L., de Mulatier, C., Paszynski, M., Krzhizhanovskaya, V.V., Dongarra, J.J., Sloot, P.M.A. (eds) Computational Science – ICCS 2024. ICCS 2024. Lecture Notes in Computer Science, vol 14832. Springer, Cham. https://doi.org/10.1007/978-3-031-63749-0_12

In progress

Global mesh features

- ▶ Local features
 - ▶ Characterize the shape of the base triangle and its surroundings
- ▶ Global features
 - ▶ Global mesh properties (curvature, tessellation, ...)
 - ▶ Encoded at the beginning of the stream

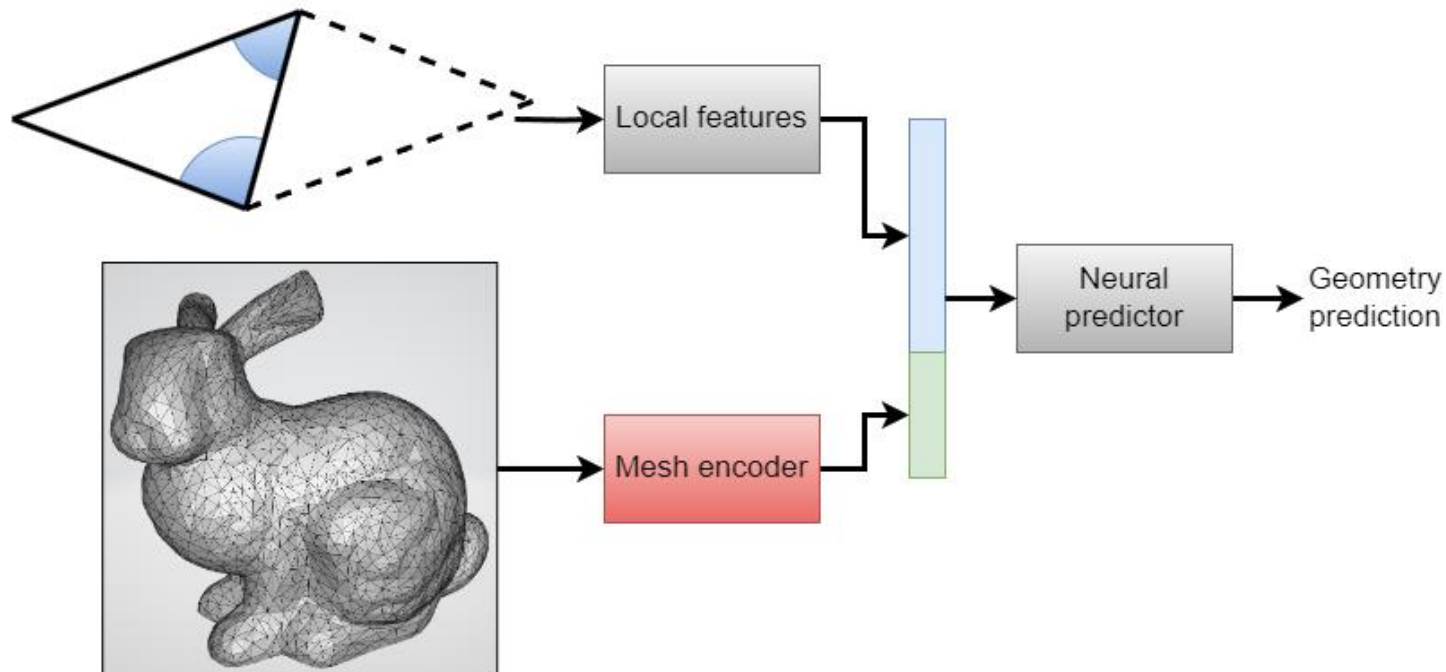


Global mesh features

- ▶ Currently 7 handcrafted features
 - ▶ Variance of inner angles
 - ▶ Average dihedral angle
 - ▶ Variance of dihedral angles
 - ▶ Deviation from isoscelesness $|\alpha-\beta|$ (avg. + var.)
 - ▶ Deviation from parallelogram $|\alpha-\delta|+|\beta-\gamma|$ (avg. + var.)

Global mesh features

- ▶ End-to-end learning
 - ▶ Still should be invariant to rigid transformations
 - ▶ Also to permutation of vertices and faces
 - ▶ Requires proper neural network architecture (MeshNet, PointNet?)





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Thank You For Your Attention

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